

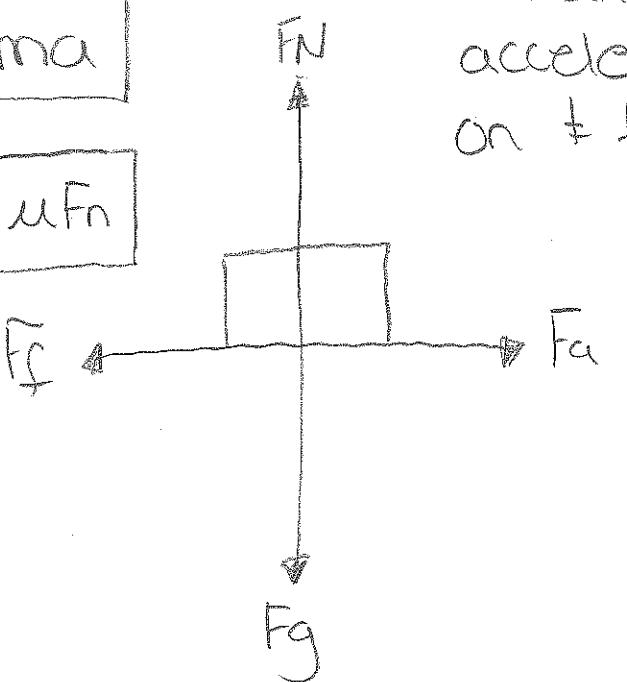
Physics 11
Unit 8.1 - Special Relativity

Review

Newton's 2nd Law: if an unbalanced force acts on an object, the object will accelerate at a rate dependent on the force & inversely on the mass.

$$F = ma$$

$$F_f = \mu F_N$$



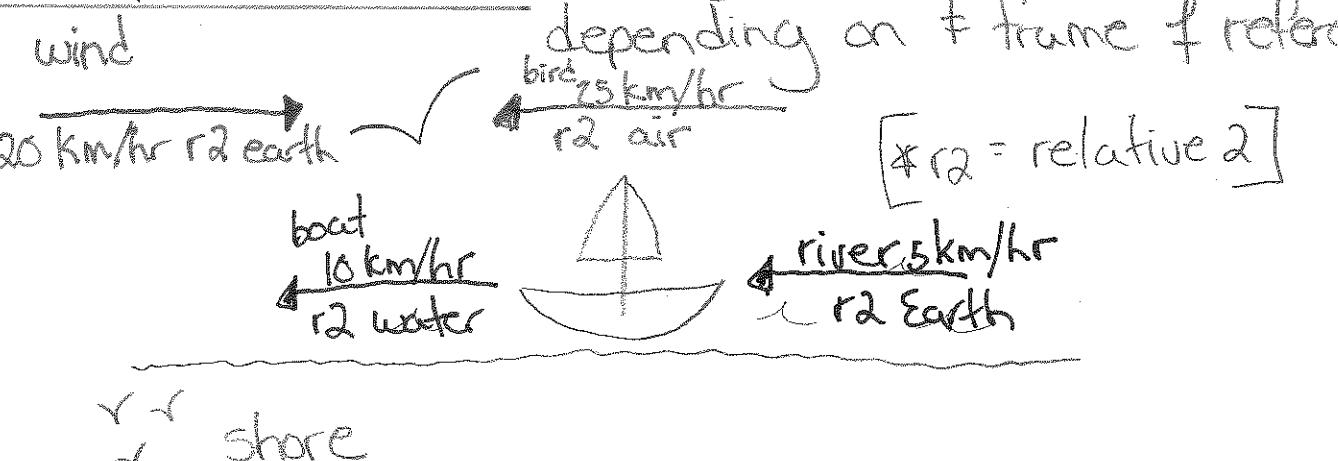
~~New~~ Einstein

$$E = mc^2$$

only some
of his work

- a) wave/particle duality of light
- b) mass \rightarrow energy [used in atomic bomb]
- c) special theory of relativity

Frame of References - an object can have > 1 velocity depending on the frame of reference



Do you have velocity when sitting on a moving train?

a) relative 2 + train - NO

where it is being observed from

b) relative 2 + earth - YES (300km/hr)

c) relative 2 + space station - Yes 300km/hr
+ velocity of rotating earth

d) relative 2 + sun - Yes 300 + earth rotating + earth orbiting

Example

How much time is expanded or dilated from a fixed observers point of view, if a spaceship is moving at $v = \frac{1}{2}c$?

$$t = \frac{t_0}{\sqrt{1 - \frac{(0.5c)^2}{c^2}}} = \frac{t_0}{\sqrt{1 - \frac{0.25c^2}{c^2}}} = \frac{t_0}{\sqrt{0.75}} = t_0 \left(\frac{1}{\sqrt{0.75}} \right) = 1.15 t_0$$

Is there a frame of reference that is truly 'fixed'

* The speed of light is fixed and it is the same for all observers, regardless of frame of reference

[predicted by Einstein, proven by Michelson & Morley]

Time Dilation [your time ≠ my time]

Einstein: a moving clock (time) will run slower ::
Stretching time → time dilation!

$$t = \frac{t_0}{\sqrt{1 - \frac{v^2}{c^2}}}$$

t = time of observer (observing + moving object)

t_0 = time of + moving object

v = velocity of + object relative

to + observer

Length Contraction - length of an object is shorter when it is moving

$$l = l_0 \sqrt{1 - \frac{v^2}{c^2}}$$

* l = length of moving object
 l_0 = length of object at rest

How long would a metre stick appear if it was moving past you @ a $v = 0.995c$

$$l = 1.00m \sqrt{1 - \frac{(0.995c)^2}{c^2}} = 1m \sqrt{1 - \frac{0.990c^2}{c^2}}$$

$$l = 1m \sqrt{1 - 0.990} = 1m \sqrt{0.01} = 1m(0.1)$$

$$\boxed{l = 0.10m \\ \text{or} \\ 10cm}$$